



Adjusting for Sub-Optimal Adherence in the CALERIE Study: Application of the Marginal Structural Model

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- 1. Overview of the CALERIE Study**
- 2. Problems with ITT and Per-Protocol Analysis**
- 3. Marginal Structural Model**
- 4. Design of the Simulation Study**
- 5. Results**
- 6. Application of the MSM in CALERIE**



The CALERIE Study

- Multi-center, randomized, controlled clinical trial.
- Hypothesis: two years of significant caloric restriction (25% CR) will have a beneficial effect on markers of the aging process.
- Laboratory methods provide an objective measure of adherence at the scheduled time points.
- Problem: Most CALERIE participants failed to maintain adherence at 25% CR during the study.
- How do we deal with this in the analyses?



Different Statistical Analyses in RCTs

Hernán MA, Hernández-Díaz S, *Clin Trials* 2012;9:48-55.

Intention-to-Treat Analysis:

- Include all participants and all observations in the analysis irrespective of the %CR actually observed.
- Reflects “real world” application of an intervention – efficacy will be undermined by poor adherence.
- Makes sense from a public health perspective.



Per-Protocol (PP) Analysis:

- Attempts to address mechanistic questions by focusing on that subset “adherent” to the intervention.
- Restrict the analysis to those participants adherent at 25% all the way through the study.
- Include only those observations while %CR is at least 15%.
- Arbitrary and inefficient.
- Selection bias of an unknown magnitude and in an unknown direction.



Fundamental Problem:

- **%CR is a time-dependent process that interacts dynamically with the primary outcome over time.**
- **Poor adherence may lead to a smaller than expected reduction in, for example, percent body fat (%BF).**
- **This may demoralize the participant which in turn leads to a greater drop in adherence.**
- **Or, indeed, it may motivate the participant to redouble his/her efforts to adhere.**
- **Standard analytic approaches are not appropriate in this setting.**



Marginal Structural Model

- Inverse probability weighting (IPW) class of models.
- Goal is to derive the “causal effect” of a time-dependent process.

Primary References:

- Robins JM, *et al. Epidemiology* 2000;11:550-60.
- Hernán MA, *et al. Epidemiology* 2000;11:561-70.

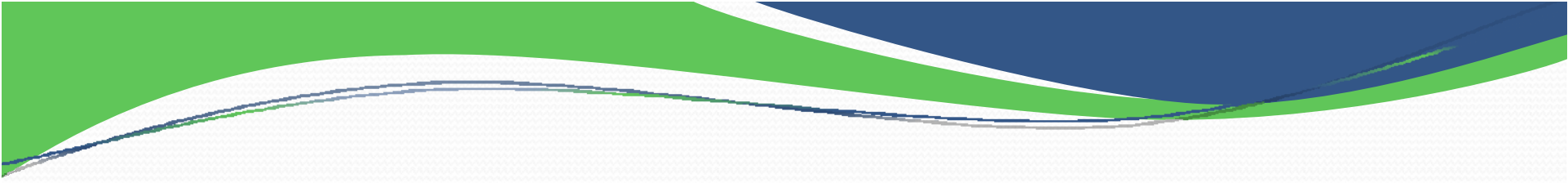
593 citations in ISI Web of Knowledge since 2000.

GEE Model:


- Consider the caloric restriction intervention arm.
- Start with a GEE model for the outcome measure:

$$g(\mu_{it}) = \alpha + \tau_t + \beta_1 x_i + \beta_2 \%CR_{it} \quad (1)$$

- Advantage:
 - Uses all the data
 - Includes covariates to increase precision.


$$g(\mu_{it}) = \alpha + \tau_t + \beta_1 x_i + \beta_2 \%CR_{it} \quad (1)$$

- We are primarily interested in the $\{\tau_t\}$ terms.
- But, we need to “adjust” for the $\%CR_{it}$ observed.
- **Problem:** $\%CR_{it}$ is a function of a number of influences – especially previous values of the outcome measure.


$$g(\mu_{it}) = \alpha + \tau_t + \beta_1 x_i + \beta_2 \%CR_{it} \quad (1)$$

- Robins et al. (2000) demonstrated that when there are time-dependent confounders, the estimates of the regression parameters in (1) are not consistent for causal associations.
- Approach: Estimate β_2 so that it reflects the “causal effect” of $\%CR_{it}$.
- How: Use a weighted GEE model to derive consistent estimators.



Weights:

- The weights, w_{it} , are inversely proportional to the probability of observed %CR profile through visit t , given current and past covariate history.
- Can be derived empirically by a second GEE model:

$$g(\%CR_{it}) = \lambda + \psi_t + \delta_1 v_i + \delta_2 L_{it} + \delta_3 L_{i,t-1} + \dots \quad (2)$$

- Important assumption: no unmeasured confounders.
- Weights are used in the GEE model (1) using the WEIGHT statement in PROC GENMOD.



Why Does this Work?

- Analogous to sample surveys when we differentially select more participants from certain age, race or SES strata.
- Apply weighting inversely proportional to the probability of selection to correct for the over/under-sampling.
- Creates a “pseudopopulation” with w_{it} copies of subject i at time t .
- In this pseudopopulation, the confounding is removed.



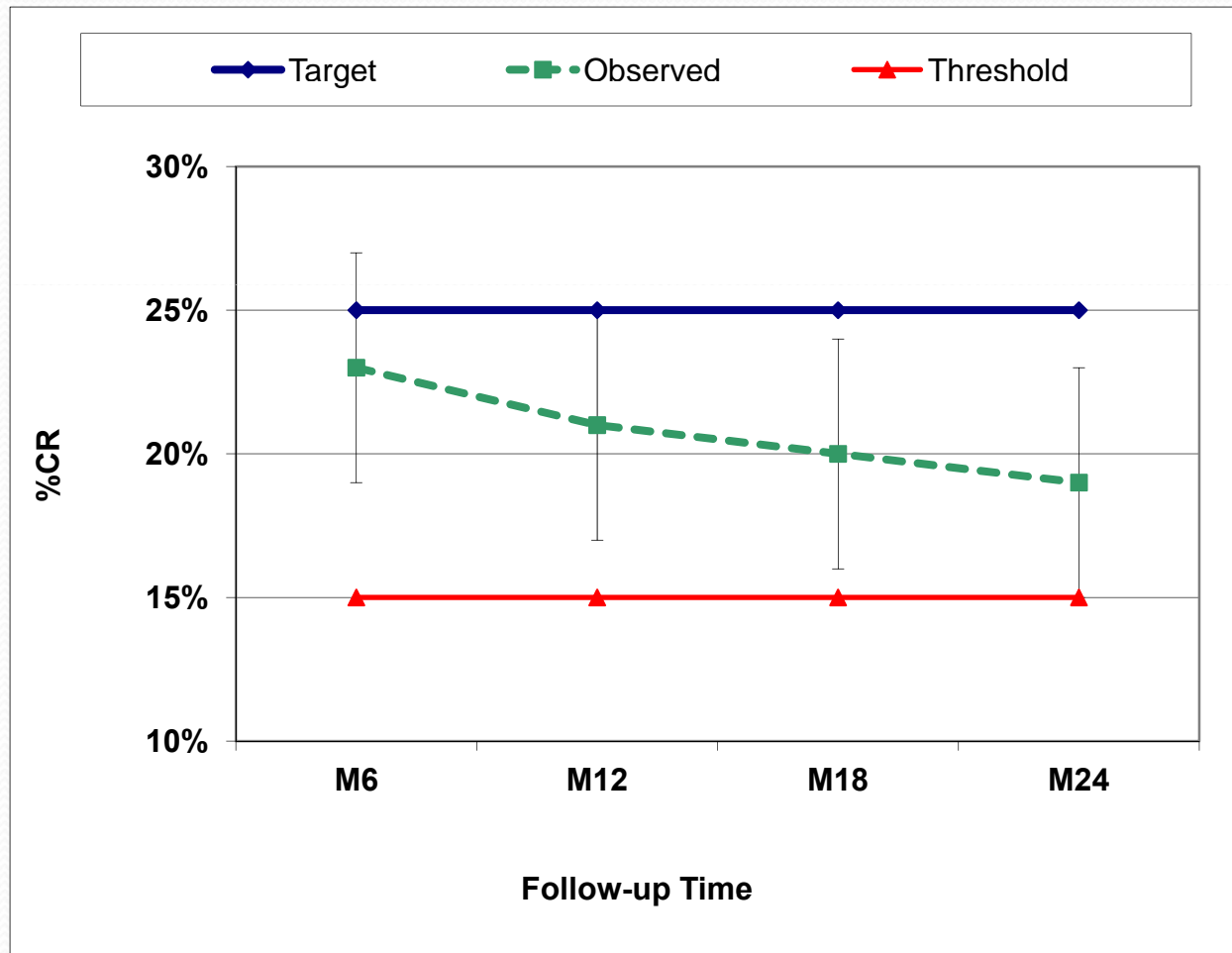
Design of the Simulation Study

Goal: Compare ITT, PP and MSM in their abilities to predict the physiologic effect at 25% CR.

Hypotheses:

- ITT is biased for mechanistic questions
- PP mitigates some of the bias
- MSM mitigates much more.

%CR Profile:

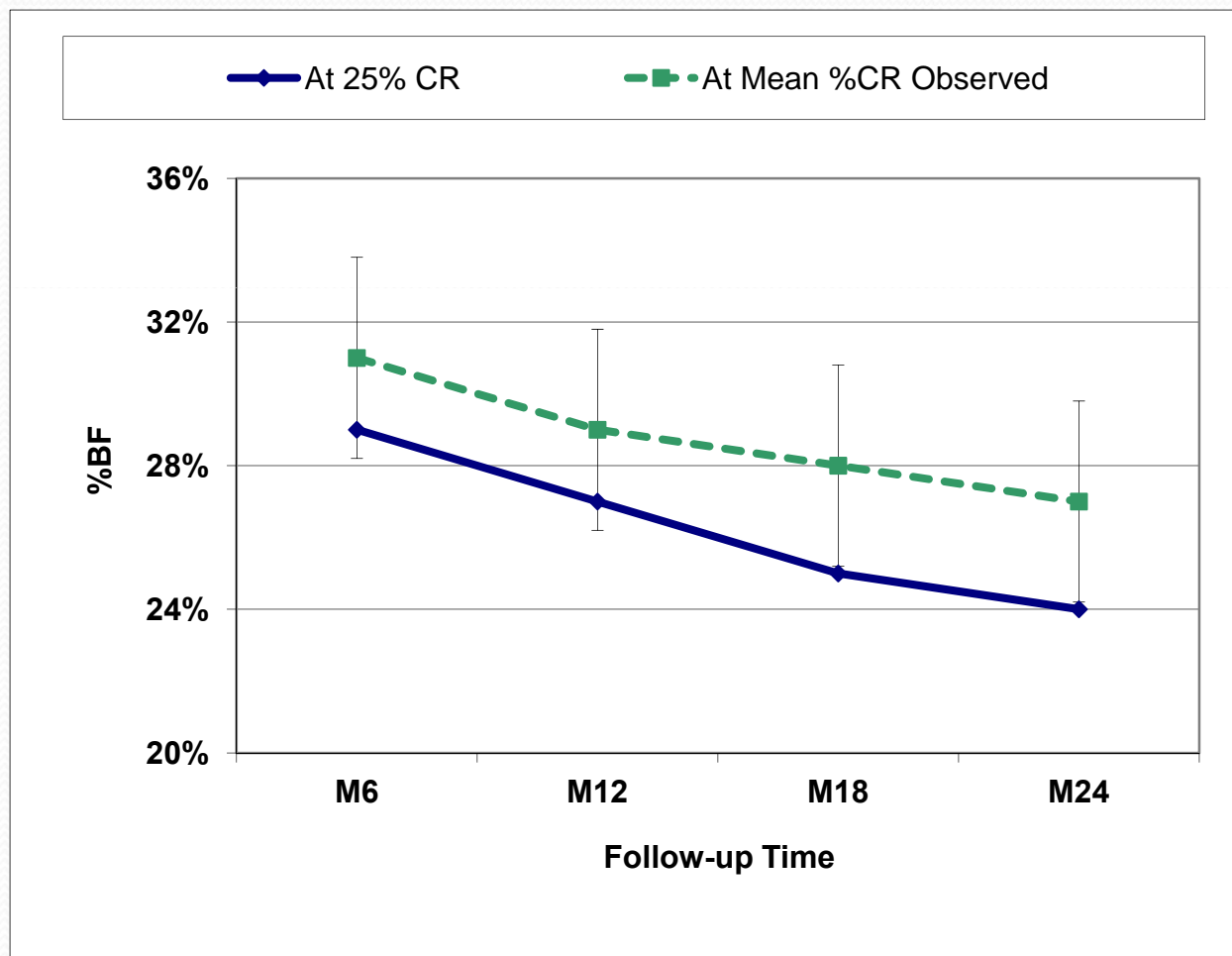


%CR Probability Distribution:

- **Std. Dev. = 4%; autocorrelation = 0.7.**

Month:	M6	M12	M18	M24
Prob (%CR \geq 25%)	0.31	0.16	0.11	0.07
Prob (%CR < 15%)	0.02	0.07	0.11	0.16

Outcome Measure: %BF



%BF Probability Distribution:

- $\%BF = \alpha + \beta \%CR + \varepsilon_{it}$
- Std. Dev. (ε_{it}) = 2; autocorrelation = 0.7.

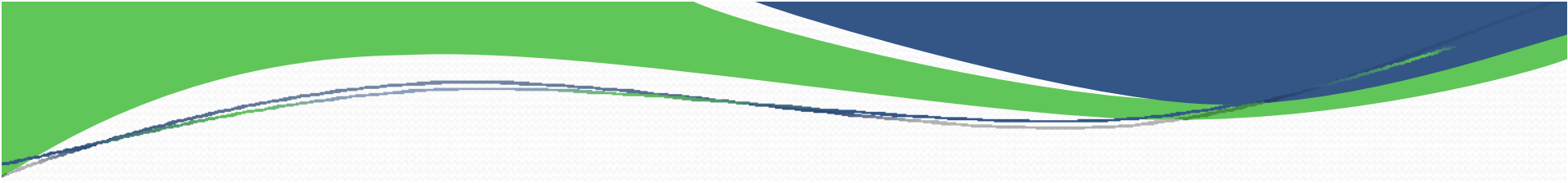
Month:	M6	M12	M18	M24
Average Bias Induced	+2	+2	+3	+3
Prob (%BF > Target*)	0.67	0.76	0.83	0.86

* the value specified at the target of 25% CR.



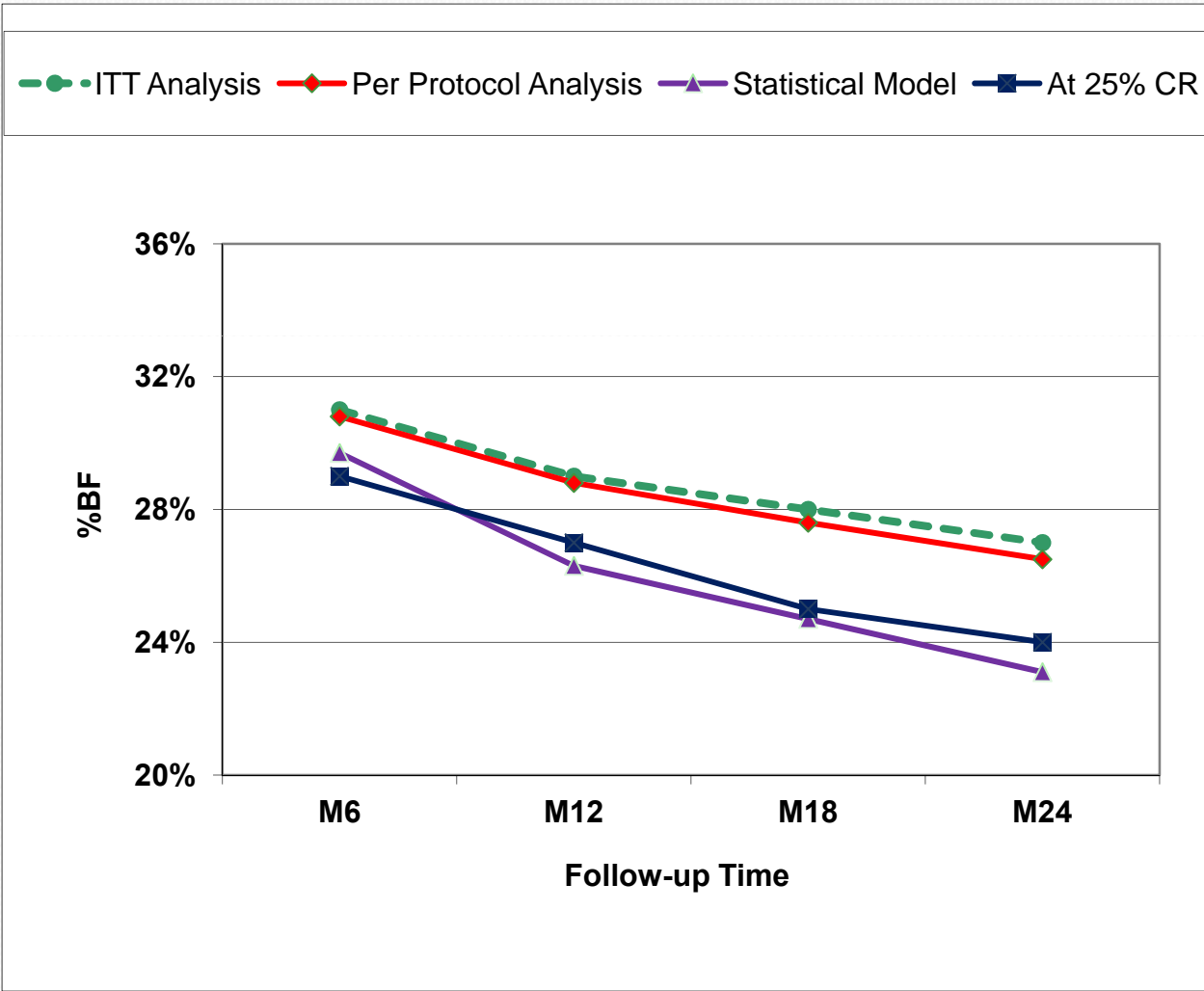
Procedures:

- Use a random number generator to simulate the %CR profile for each participant.
- Generate %BF; add random error and autocorrelation
- Repeat for each of $N=150$ participants in a CALERIE “study.”
- For each study, estimate the %BF using three models:
 - ITT
 - Per-protocol
 - MSM.

- 
- Quantify the bias from the target %BF profile specified at 25% CR.
 - Repeat this process for 1,000 CALERIE studies.
 - Derive average bias over the 1,000 studies.

Results: Average Bias in %BF According to Statistical Method Applied

Month:	M6	M12	M18	M24
As Designed:	+2	+2	+3	+3
ITT	2.0047	1.9925	2.9938	2.9898
Per-Protocol	1.7901	1.7886	2.5737	2.4881
MSM Model	0.7301	-0.6257	-0.2741	-0.9310



Application of the MSM in CALERIE

- Model for the outcome variable:

$$g(\mu_{it}) = \alpha + \tau_t + \beta_1 x_i + \beta_2 (\%CR_{it} - 25) + \beta_3 (\%CR_{it} - 25)^2 \quad (1)$$

- Model for $\%CR_{it}$:

$$g(\%CR_{it}) = \lambda + \psi_t + \delta_1 v_i + \delta_2 L_{it} + \delta_3 L_{i,t-1} + \dots \quad (2)$$



- **Predictors:**

- **Demographics**

- **BDI, hemoglobin, MAEDS**

- **Nutritional markers**

- **Attendance**

- **Phys. activity markers**

- **Lagged outcome variable**

- **Interactions with age, sex and BMI.**

- **Stepwise procedures to select best predictors.**

- **Contrast MSM results against the ITT results.**



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